

Physical Bases of Dental Material Science

Biomechanics: structure, mechanical and other properties of tissues

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History of biomechanics

Aristotle (384-322 BC) - First book on biomechanics, *De Motu Animalium* (On the Movement of Animals).

Leonardo da Vinci (1452-1519) - First to study anatomy in the context of mechanics. He analyzed muscle forces as acting along lines connecting origins and insertions and studied joint function.

Galileo Galilei (1564-1642) - Suggested that bones are hollow, and this affords maximum strength with minimum weight.

René Descartes (1596-1650) - Suggested a philosophic system whereby all living systems, including the human body (but not the soul), are simply machines ruled by the same mechanical laws.

Pierre Fauchard (1678 - 1761) – **Father of modern dentistry. – orthodontics**

Today biomechanics is an extremely intensely explored research area. One of the main motivations are "tissue engineering" which lend the hope of replacing biological tissues with artificial materials.

Biomechanics principles in brief

Hookean elasticity

- Spring constant ($k=F/\Delta L$) is a parameter of material properties.
- Spring constant (k) depends on the shape parameters of a body and the direction of the applied force.
- It expresses the force needed for unit deformation. (Nm)

Longitudinal stiffness:

$$\frac{F}{A} = E \frac{\Delta l}{l}$$

F = force
 A = cross-sectional area
 l = rest length
 Δl = extension

$F/A = \sigma = \text{stress (N/m}^2 = \text{Pa)}$
 $\Delta l/l = \epsilon = \text{strain (dimensionless)}$
 $E = \sigma / \epsilon = \text{Young's modulus (Pa)}$

Stress-strain curve

$F/A = \sigma = \text{stress}$
 $\Delta l/l = \epsilon = \text{strain}$

- 1: True elastic limit
- 2: Proportionality limit
- 3: Elastic limit
- 4: Offset yield strength

0.2%

Viscosity

$$\frac{F}{A} = \eta \frac{\Delta v}{\Delta y}$$

F = shear force
 A = area of fluid layer
 η = viscosity
 v = flow velocity
 y = distance between fluid layers
 F/A = shear stress (τ)
 $\Delta v/\Delta y$ = velocity gradient (D)

Biomechanics at the Cellular Level

Forces at work in tissues

Forces in tissues result from:

- cell-generated tension
- fluid flow
- stretch
- hydrostatic/osmotic pressure

Forces as mechanical signals:

- highly directional
- decay: $1/r$
- convey complex information in 3D
- communication over long range
- rapid regulation
- no diffusible intermediate

Soluble (chemical) signals:

- diffuse rapidly (not directional)
- decay: $1/r^2$
- shorter range of communication
- need of intermediates

Reference Compression Tension Shear

Cellular dimensions:
Length: μm Force: pN
 $1\text{Pa} = 1\text{pN}/\mu\text{m}^2$

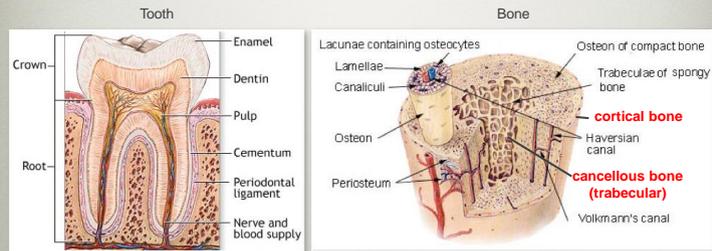
Blood Brain Lung Endothelial tissue Stromal tissue Smooth m. Skeletal m. Cartilage Bone Enamel

Elastic modulus (Pa)

50 200 1000 3000 5000 12000 20000 0,1-2 GPa 100 GPa

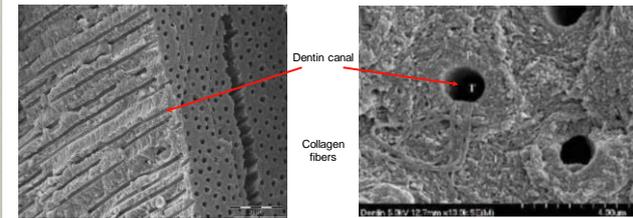
Increasing stiffness

Hard tissues



Major biomaterial components: collagen, apatite

Dentin

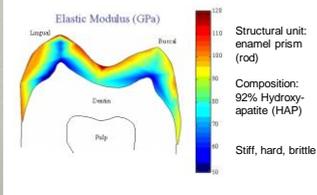
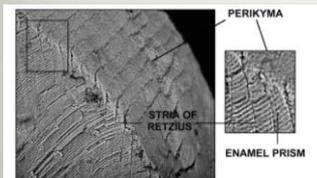


Composition: 35% organic material (collagen) + water, 65% hydroxy-apatite

Structure: collagen matrix with attached hydroxy-apatite crystals

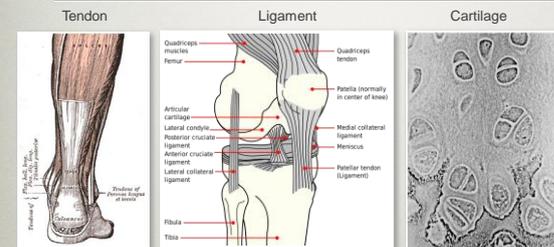
Biomechanics: moderately hard, very strong and tough and flexible

Tooth enamel

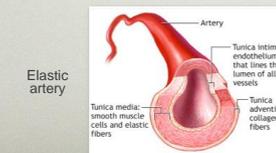


Hardness (Vickers)	Young's modulus	Tensile strength
$HV \approx 6 \text{ GPa}$	$E \approx 140 \text{ GPa}$	$\sigma_{t1} \approx 60 \text{ MPa}$ Bending $\sigma_{t2} \approx 500 \text{ MPa}$ Compression
$HV \approx 3-6 \text{ GPa}$	$E \approx 90-100 \text{ GPa}$	$\sigma_{t1} \approx 50 \text{ MPa}$ Bending $\sigma_{t2} \approx 400 \text{ MPa}$ Compression

Soft tissues

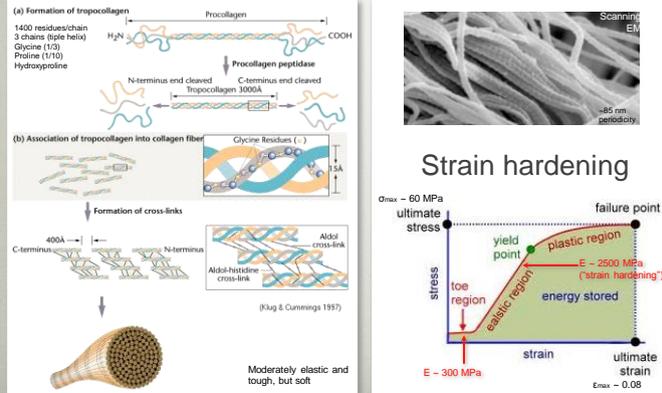


Major biomaterial component: collagen



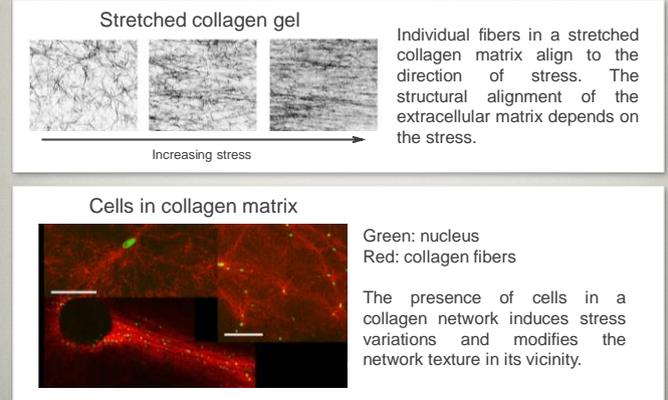
Major biomaterial components: collagen, elastin

Collagen

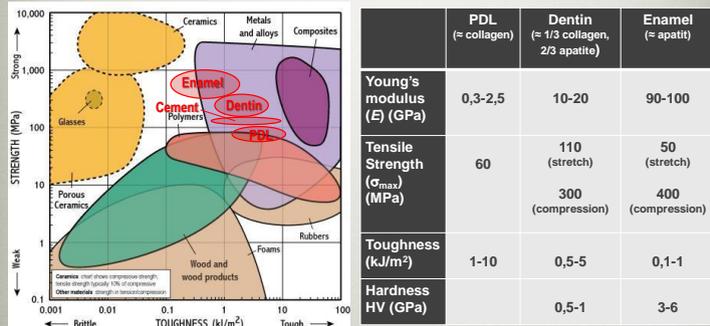


Collagen responses to force

(forces in the extracellular matrix)

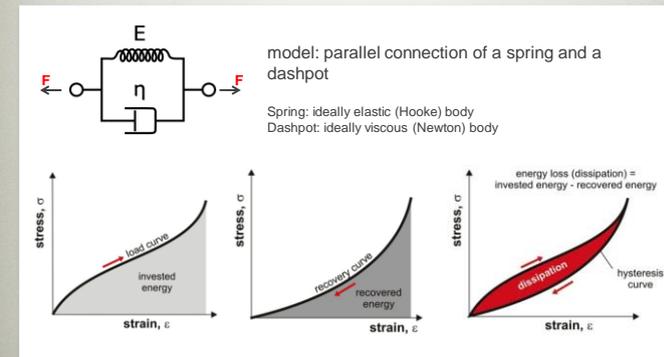


Summary of dental biomechanics



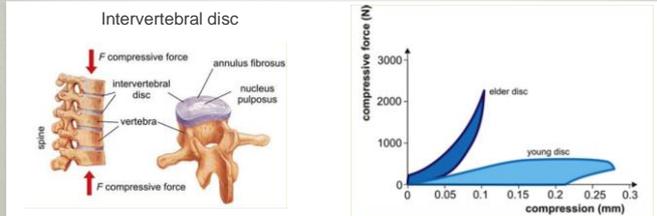
Visco-elasticity

(mechanical model)



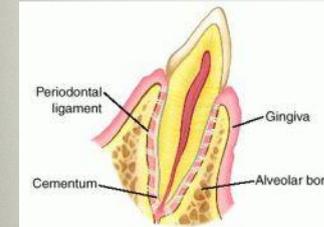
Visco-elasticity

(examples)



The periodontal ligament

Attaches the root to the bone and serves as a shock absorber.



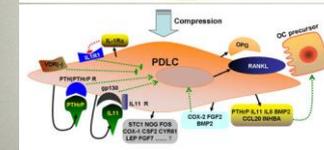
FUNCTIONS

Proprioception: provides dental sensory function – perception of masticatory forces

Host of cell lines: osteoclasts, osteoblasts, fibroblasts, cementoblasts, stem cells (orthodontics)

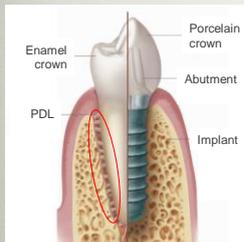
Dental force sensor
PDL cells convert mechanical signal to chemical signals. - Bone remodelling

Collagen based elastic properties



Implants vs natural tooth

PDL makes the difference!



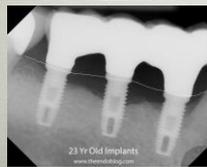
- Absence of PDL result in :
- loss of masticatory force perception
 - loss of visco-elastic (damper) effect
 - loss of force sensory mechanisms
 - No implant movement

Implant is in direct contact with bone tissue

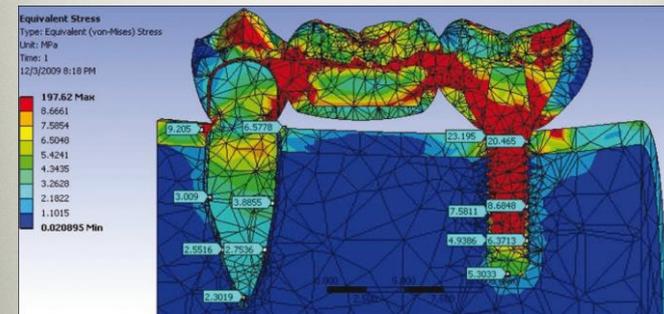
↓
Increased compressive stress

↓
Bone loss (0.2 mm / year)
Loss of gingival height

Implants ↔ Root Canal Treatment



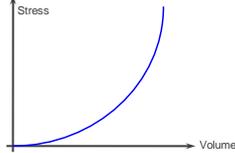
Stress distribution on tooth vs implant



Biomechanics of elastic arteries

Non-linear elasticity

Strain is not linearly proportional to stress.

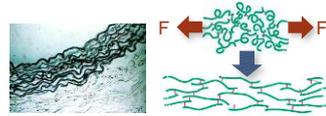


Determinants of vascular elasticity:

- Elastin
- Collagen
- Smooth muscle

Implications of vascular elasticity:

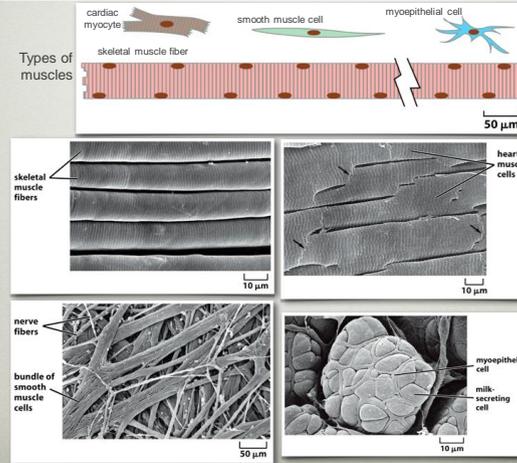
- Storage of potential (elastic) energy
- Dampening of pressure pulses
- Constant flow rate



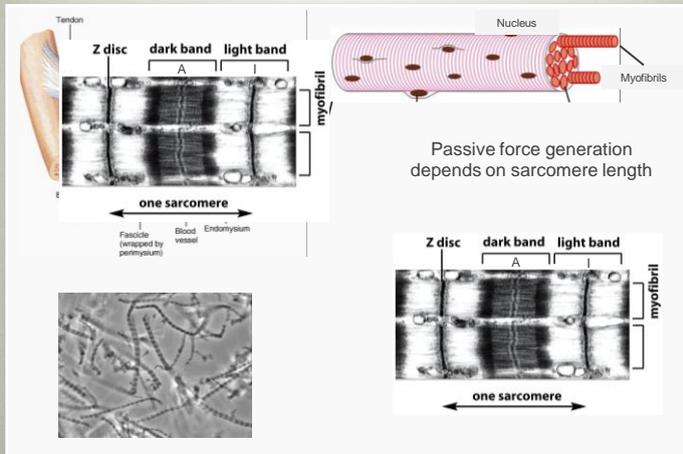
$E = 300 \text{ MPa} \dots 2\,500 \text{ MPa}$	$E = 0,1 \text{ MPa} \dots 0,4 \text{ MPa}$
$\sigma_{1/2} \approx 60 \text{ MPa} \quad \epsilon_{1/2} \approx 0,08$	$\sigma_{1/2} \approx 0,6 \text{ MPa} \quad \epsilon_{1/2} \approx 3$

↓ strength ↓ elasticity

Muscle biomechanics

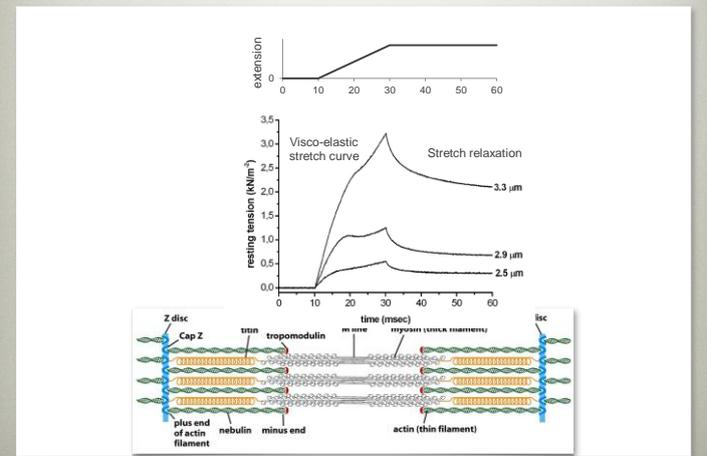


Skeletal muscle



Passive force generation depends on sarcomere length

Passive force of muscle depends on sarcomere length



Mechanics of polymers

Entropic elasticity mechanism

Thermal fluctuations of the polymer chain

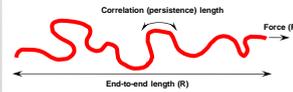
↓
Configurational entropy (orientational disorder of elementary vectors) increases.

↓
The chain shortens.



Force needed to stretch an entropic chain

$$\frac{F l}{k_B T} \sim \frac{R}{L}$$



F=force
l=persistence length
 k_B =Boltzmann's constant
T=absolute temperature
L=contour length
R/L=relative extension

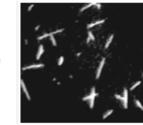
Biopolymer elasticity

l = persistence length
L = contour length

Rigid chain
 $l \gg L$



Microtubule



Semiflexible chain
 $l \sim L$



Actin filament



Flexible chain
 $l \ll L$



DNA



Visualization of biopolymer elasticity

Tying a knot on a single DNA molecule

