

Light emission

Spectrum

distribution, representations

Light scattering

$$J_{\text{scat}} \sim 1/\lambda^4$$

Absorption

Beer's law



Thermal radiation

(black body)

Convection ?, Conduction ?, **Radiation!**

All material objects that are at non-zero absolute temperature emit electromagnetic radiation

Kirchhoff's law: objects that have intense thermal radiation are also efficient absorbers of the same radiation

$$\frac{M_{\lambda_i}}{\alpha_{\lambda_i}} = \frac{M_{\lambda_j}}{\alpha_{\lambda_j}}$$

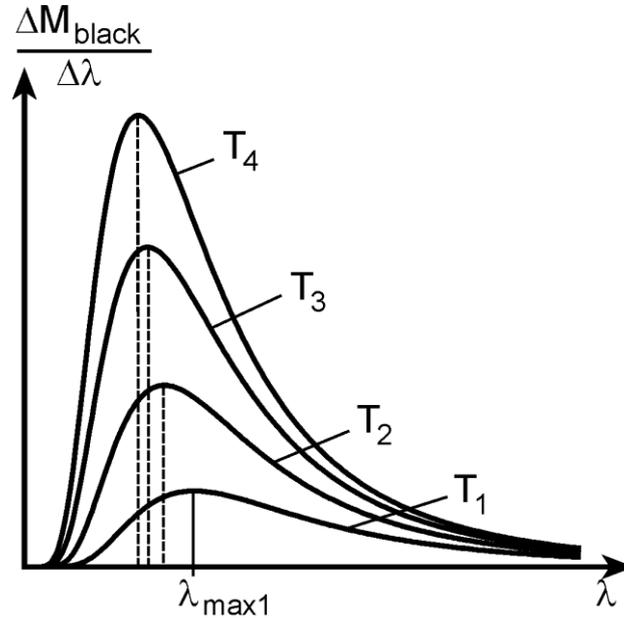
where M_{λ} is the emitted flux density (unit: W/m^2);

α_{λ} is the absorptivity ($E_{\text{absorbed}}/E_{\text{total}}$)



Absolute black body: fully absorbs all incident energies ($\alpha = 1$)
(The human body is 95% black body)

Emission spectrum of thermal radiation at various temperatures



$$T_1 < T_2 < T_3 < T_4$$

The emission spectrum is continuous with a maximum

Stefan – Boltzmann law:

$$M_{\text{black_total}}(T) = \sigma T^4$$

(area below the curve of the emission spectrum)

Wien's displacement law:

$$\lambda_{\text{max}} T = \text{constant}$$

The wavelength of maximum intensity shifts to shorter wavelengths when T is increased

Formulation of spectrum? (Wien)

$$\frac{\Delta M}{\Delta f} = af^3 e^{-\frac{bf}{T}} \quad (a, b \text{ parameters})$$

Max Planck (1858-1947)

$$\frac{\Delta M}{\Delta f} = a' f^3 \frac{1}{e^{\frac{b'f}{T}} - 1} \quad (a', b' \text{ parameters})$$

end of classical physics 1900

Application in medical diagnostics:

Telethermography

Mapping the intensity of IR radiation emitted by the human body over a given surface by IR camera inflammations, changes in blood circulation, metabolic changes in tumors lead to temperature changes i.e. changes in the intensity of IR radiation

