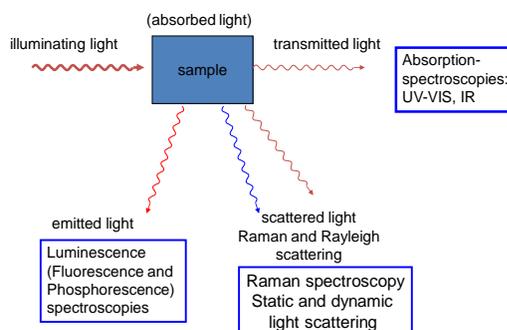


## Optical spectroscopic techniques

What happens if a sample is illuminated by light?

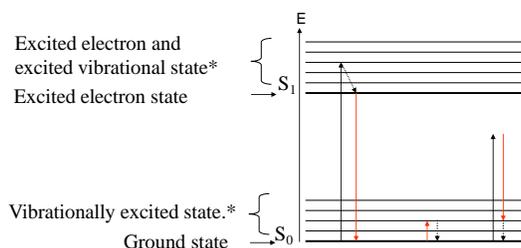


## Spectroscopy (Absorption and emission spectroscopy)

- Analysis of the wavelength dependence of the transmitted or emitted light.
- Information:
  - identification of atoms and molecules,
  - detection of changes in the molecular structure (conformation)
  - determination of the concentration

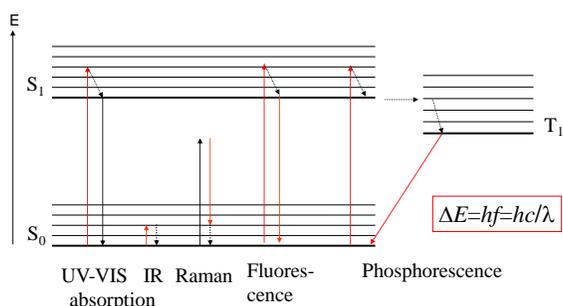
Why is light absorbed or emitted?

Born-Oppenheimer approximation:  $E_{total} = E_{electronic} + E_{vibrational} + E_{rotational}$



\*only for molecules! (not for atoms)

Why is light absorbed or emitted?



## Absorption spectroscopy (UV-VIS)

As a reminder:

- law of absorption:  $J = J_0 \cdot e^{-\mu x}$  where  $\mu(\text{material}, c, \lambda)$
- Lambert-Beer law:

$$A = \lg \frac{J_0}{J} = \varepsilon(\lambda) c x$$

- spectrum:  $A(\lambda)$
- measurement: spectrophotometer (details: see pract. exc.) reference solution ( $J_0$ )
- information: identification ( $\lambda_{max}$ ), concentration (A)

## Infrared spectroscopy

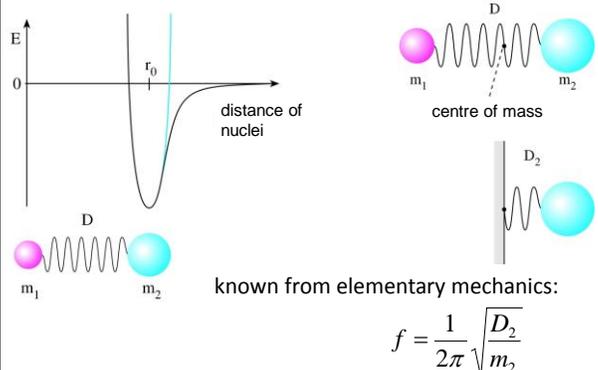
- Infrared light:  $\lambda=800 \text{ nm} - 1 \text{ mm}$   
MIR (mid-infrared) : 2,5-50  $\mu\text{m}$
- absorption spectroscopy
- the absorbed infrared radiation excite molecular vibrations
- very specific for the structure of the molecule
- special method for detection:  
FT spectrometer

## Molecular vibrations

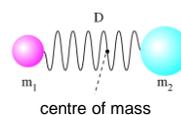
The electrons are light ( $m_e \ll m_{\text{nucleus}}$ ), they can follow the movements of the nuclei easily, therefore the movements of the nuclei are independent of the movements of the electrons.

Classical physical description: the chemical bond is represented by a spring

### Molecular vibrations:



Reduced mass: 
$$m_{red} = \frac{m_1 m_2}{m_1 + m_2}$$



Frequency of the vibration with the reduced mass:

$$f = \frac{1}{2\pi} \sqrt{\frac{D}{m_{red}}} \quad f = \frac{1}{2\pi} \sqrt{\frac{D(m_1 + m_2)}{m_1 m_2}}$$

The wavelength: 
$$\lambda = \frac{c}{f} = 2\pi c \sqrt{\frac{m_{red}}{D}}$$

In the IR spectroscopy the wavenumber ( $\nu$ ) is used, which is the reciprocal of  $\lambda$ :

$$\nu = \frac{1}{\lambda} = \frac{1}{2\pi c} \sqrt{\frac{D}{m_{red}}} \quad \nu: \text{number of waves in a unit length [cm}^{-1}\text{]}$$

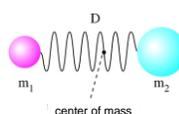
Example: CO

$$\left. \begin{array}{l} \text{The measured wavenumber: } \nu = 2143 \text{ cm}^{-1} \\ \Leftrightarrow \lambda = 4,67 \mu\text{m} \Leftrightarrow f = 6,43 \cdot 10^{13} \text{ Hz} \\ m_C = 2 \cdot 10^{-26} \text{ kg}, m_O = 2,7 \cdot 10^{-26} \text{ kg} \end{array} \right\} \Leftrightarrow D = 1875 \text{ N/m}$$

if  $\nu$  is known,  $D$  can be calculated  
if  $D$  is known,  $\nu$  can be calculated

### Classical vs. quantum physics

Classical physical picture



$$f = \frac{1}{2\pi} \sqrt{\frac{D}{m_{red}}}$$

resonance with the light with frequency  $f$

Quantum mechanical picture



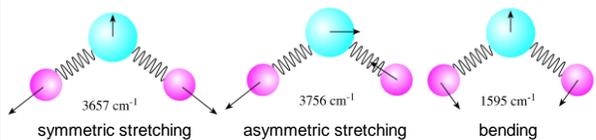
$$\Delta E = hf$$

## Normal vibrations

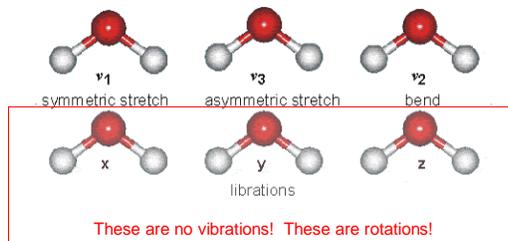
All the atoms vibrate

- with the same frequency but
- with different amplitude and
- in different direction.

Example: water



## Normal vibrations of water

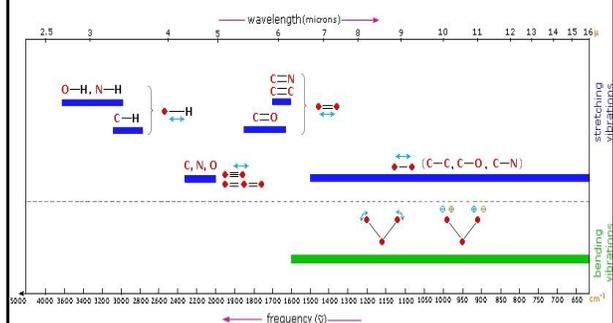


## Vibrations of the large molecules

Molecule consisting of N atoms:

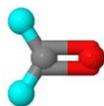
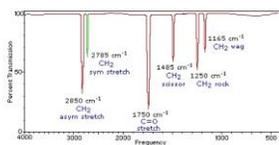
- 3N degree of freedom,
  - 3-3 are the rotations and translations of the whole molecule
- 3N-6 vibrational degree of freedom (3N-5 for the linear molecules)
- 3N-6 independent normal vibrations

## Typical vibrational frequencies (wavenumbers)



## Example: Formaldehyde

Gas Phase Infrared Spectrum of Formaldehyde,  $\text{H}_2\text{C}=\text{O}$

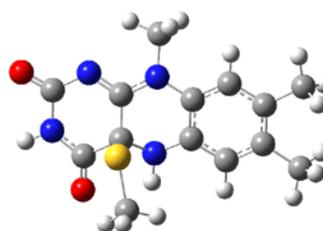


- View CH<sub>2</sub> Asymmetric Stretch
- View CH<sub>2</sub> Symmetric Stretch
- View C=O Stretch
- View CH<sub>2</sub> Scissoring
- View CH<sub>2</sub> Scissoring
- View CH<sub>2</sub> Wagging

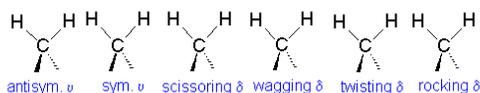
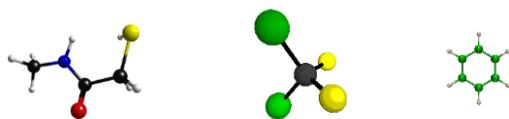
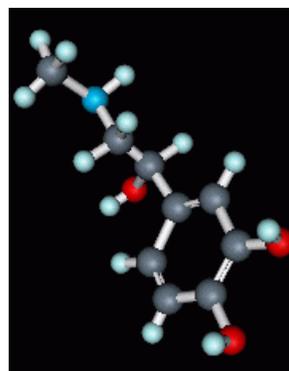
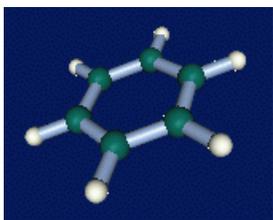
- Ball&Stick Model
- Spacefill Model
- Stick Model
- Motion Off

<http://www2.chemistry.msu.edu/faculty/reusch/VirtTxtJml/Spectrpy/InfraRed/infrared.htm>

## Flavin



### Benzol

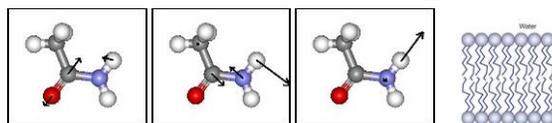
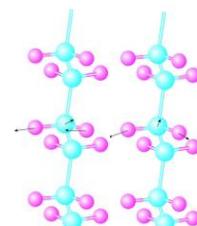


### Vibrations of the macromolecules

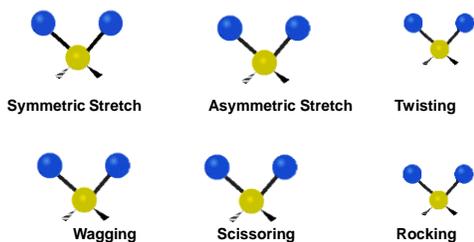
Complex global vibrations

Localised vibrations, e.g.:

- CH<sub>2</sub> vibrations of the lipids
- amid vibrations of proteins (acetamide)

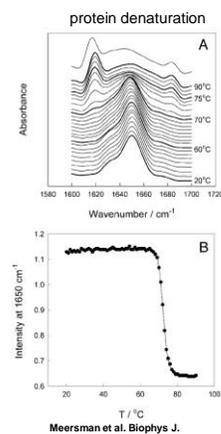
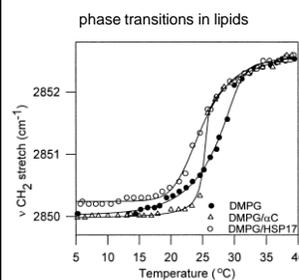


### Lipids



Types of Vibrational Modes. Figure from Wikipedia

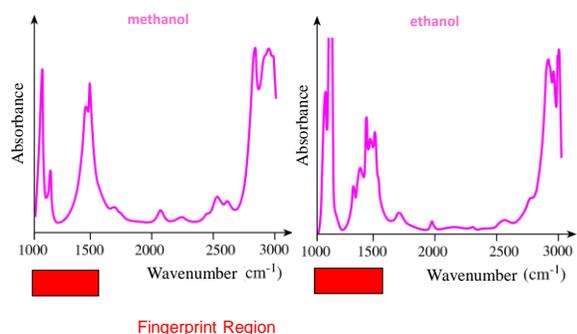
### Applications



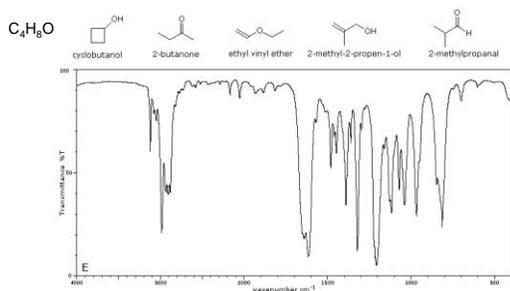
## Pharmaceutical applications

- synthesis: identification of the intermediate and the end product
  - determination and justification of the molecular structure
  - detection of the metabolites
  - quality control (purity)
- Remark.: Lambert-Beer law is valid, determination of concentration is possible
- IR active vibration: dipole moment changes

## Identification of the molecules

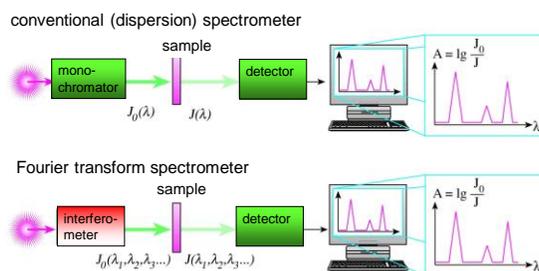


## Example: Identification of molecules



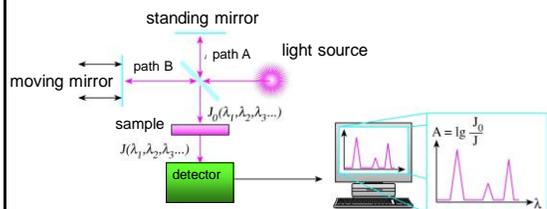
<http://www2.chemistry.msu.edu/faculty/reusch/VirtTxtJml/Spectrpy/InfraRed/infrared.htm>

## The technique of the measurement : Fourier transform spectrometer (FTIR)



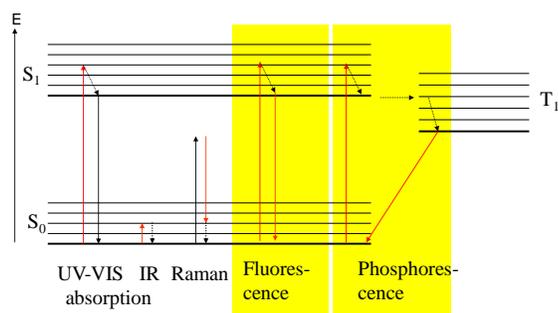
book 6.17

## Interferometer



book 6.18

## Luminescence spectroscopy



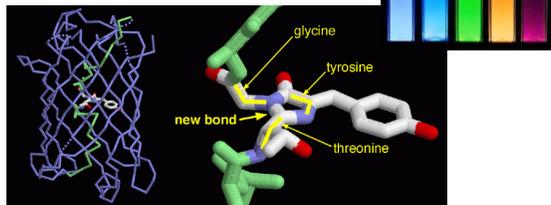
### Which molecules are fluorescent?

Amino acids (tryptophan, tyrosine, phenylalanine)

Fluorescent dyes

GFP

...

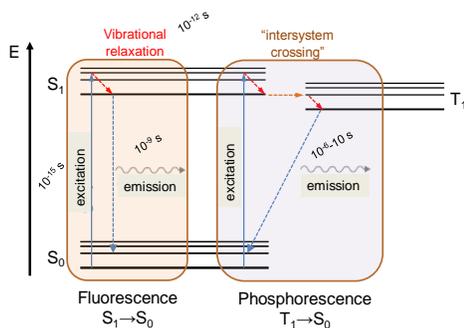


### Measurable quantities in Fluorescence Spectroscopy

- Wavelength of the exciting light
- Wavelength of the emitted light (fluor., phosph.)
- Time dependence of the emitted light
- Polarisation of the emitted light
- Intensity of the emitted light

### Luminescence emission of molecules

Jablonski diagram



### Luminescence

Quantum yield ( $Q_F$ ):

$$Q_F = \frac{k_f}{k_f + k_{nr}} = \frac{\text{number of photons emitted}}{\text{number of photons absorbed}}$$

(Dyes, fluorescence markers  $Q \approx 1$ )

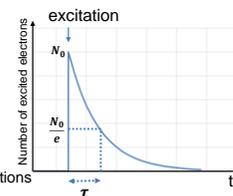
Luminescence lifetime ( $\tau$ ):

$$N = N_0 e^{-\frac{t}{\tau}}$$

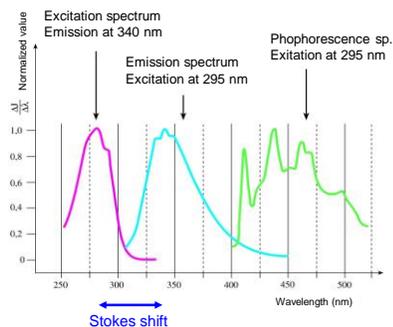
$$\tau = \frac{1}{k_f + k_{nr}}$$

$k_f$ : Rate of photon producing transitions

$k_{nr}$ : Rate (probability) of non-radiative transitions



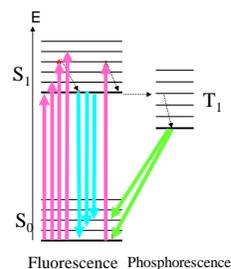
### Stokes-shift



6.25.

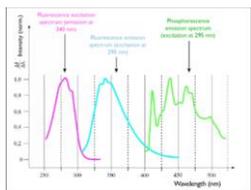
### Kasha's rule

**Kasha's rule:** The excited molecule first reaches the lowest vibrational level and photon emission occurs always from this state to any vibrational level of the ground ( $S_0$ ) state.



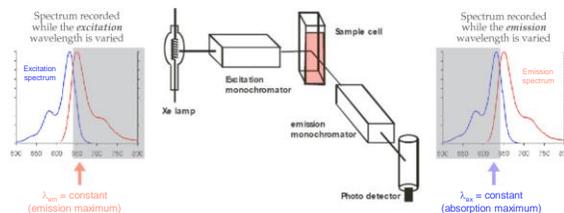
### Comparing emission processes

	Fluorescence	Phosphorescence
Relaxation	From singlet state $S_1 \rightarrow S_0$	From triplet state $T_1 \rightarrow S_0$
Lifetime ( $\tau$ )	Nanoseconds	From microseconds up to seconds
Stokes shift	Smaller	Larger (because $T_1$ is at lower energy than $S_1$ )



### Measurement of luminescence

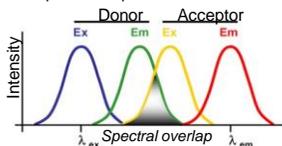
#### Spectrofluorimeter



### FRET

#### Förster Resonance Energy Transfer

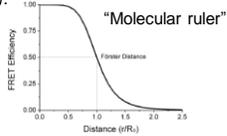
Energy transfers from donor without emission to acceptor in dipole-dipole interactions. Requires spectral overlap between donor emission and acceptor absorption.



FRET efficiency or quantum yield ( $E$ ):

$$E = \frac{1}{1 + (r/r_0)^6}$$

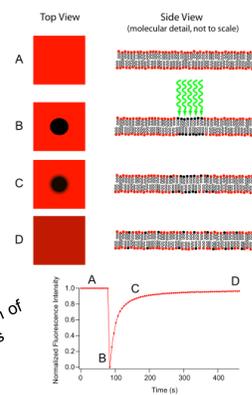
$r_0$ : Förster distance



### FRAP

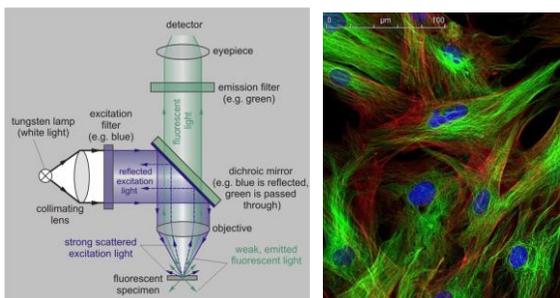
#### Fluorescence Recovery After Photobleaching

Photobleaching: The permanent loss of fluorescence due to photochemical reactions.



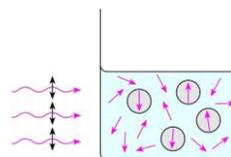
Lateral diffusion of lipid molecules

### Fluorescence microscope



### Fluorescence polarization

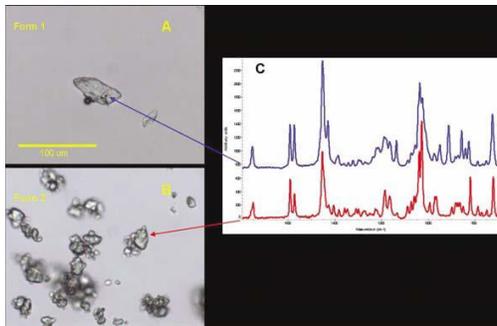
illumination with polarized light



polarization degree of the emitted light is measured  
The fluorescent molecule can rotate between the absorption and the emission  $\Rightarrow$   
dynamic information: rotational correlation time  
(how fast is the rotational diffusion?)



## Pharmaceutical application



## Rayleigh scattering

Size of the particle:  $d \ll \lambda$

The scattered intensity: 
$$J_{\text{scatt}} \sim J_0 N \frac{d^6}{\lambda^4}$$

Information: size, concentration (quantity)  
(e.g. colloids)

## Measurement of the Rayleigh scattering

if  $J_{\text{scatt}} \ll J_0$

$J_{\text{scatt}}$  is measured  
(Nephelometry)

If  $J_{\text{scatt}} \approx J_0$

$J$  is measured  
(turbidimetry)

The same technique as for the absorption spectroscopy but now  $J$  is reduced due to the scattering (and not due to absorption).

