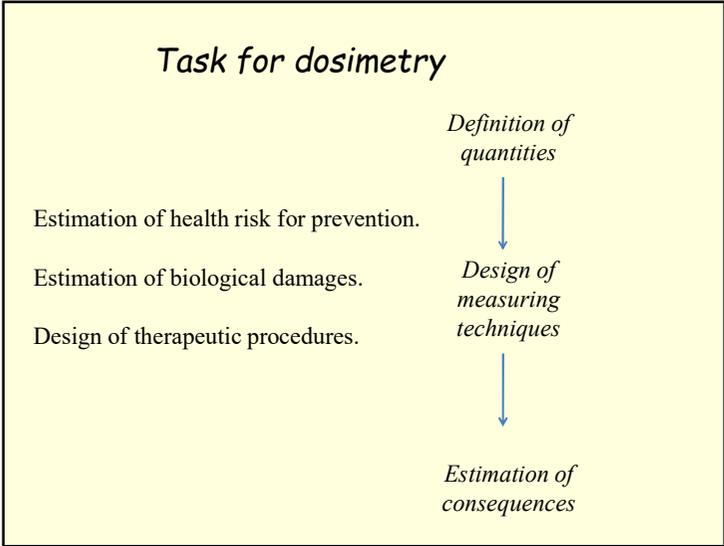
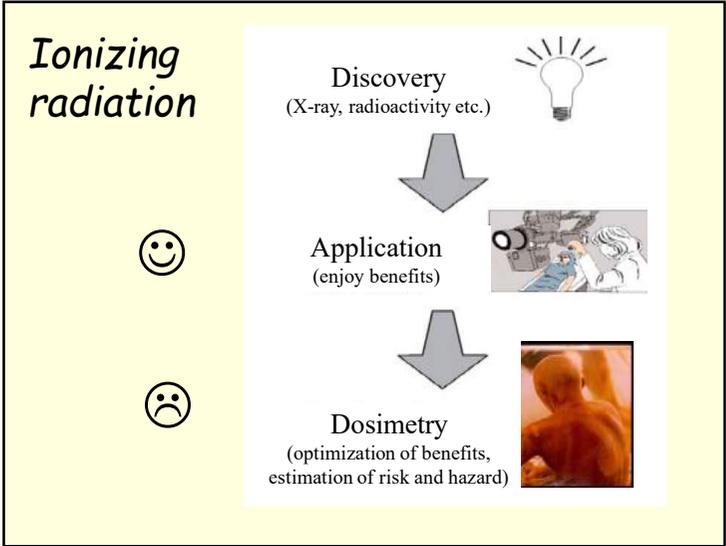
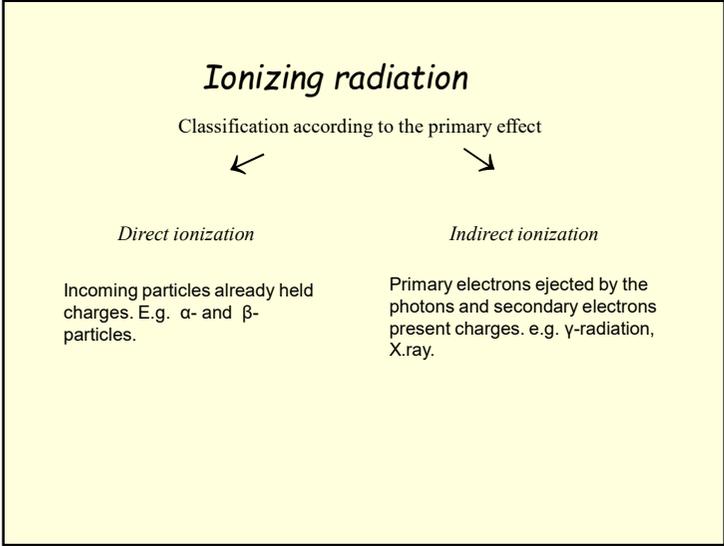


Dosimetry of ionizing radiation



1. Dose values should be

- proportional to the damages and expected risk !
- additiv
- independent of other factors!?

Dose concepts

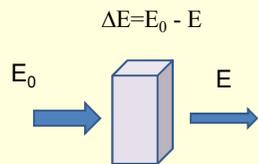
Physical dose concepts:
Absorbed dose,
Exposure

Biological dose concepts:
Equivalent dose,
Effective dose

Derived dose concepts:
Collective dose,
Dose rate

1. Absorbed dose

measures the absorbed energy in a unit mass



$$D = \frac{\Delta E}{\Delta m} [J / kg]$$

Validity: for any kind of material and any type of radiation without restriction



Louis Harold Gray (1905-1965).

Unit: $[J / kg] \equiv Gy$

How to be measured ????

¹³¹I of 0.2 GBq activity is accumulated in 80 g thyroid glands. The effective half-life is 7.5 days . Average β-particle energy is 0.18 MeV. Assume that the particles are fully absorbed in the thyroid glands . What is the absorbed dose in the given tissue?

$$\Lambda = \frac{\ln 2}{T} N \quad N = \frac{0,2 * 10^9 [Bq] * 6,48 * 10^5 [s]}{0,693} = 1,87 * 10^{14}$$

$$E_{sum} = N * E \quad E = 0,18 * 10^6 [eV] = 2,88 * 10^{-14} [J]$$

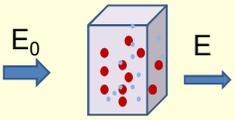
$$E_{össz} = 1,87 * 10^{14} * 2,88 * 10^{-14} = 5,38 [J]$$

$$D = \frac{E_{sum}}{m}$$

$$D = \frac{5,38}{0,08} = 67,28 \left[\frac{J}{kg} \right]$$

2. Exposure

measures the amount of positive or negative charges generated by the radiation in a unit mass.



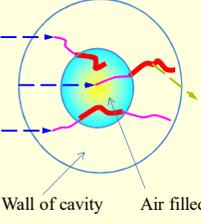
$$X = \frac{\Delta Q}{\Delta m} [C / kg]$$

Validity: in the air, only γ and X-rays, measured in electron equilibrium*

$$X = \frac{\Delta Q}{\Delta m} [C / kg]$$

ΔQ – secondary electrons!!

Electron-equilibrium : net number of the secondary electrons living and entering volume of the cavity are equal.



To be considered:

- composition of surrounding material (chamber wall) – **air-equivalent wall!**
- thickness of the wall
- Photon energy: $E < 0.6 \text{ MeV}$

Calculation of the absorbed dose from the exposure

$$X = \frac{\Delta Q}{\Delta m} [C / kg]$$

$$D_{\text{air}} = f_0 X$$

$\sim 34 \text{ J/C}$

Average ionization energy in air

$\sim 34 \text{ eV.}$

$$D = \frac{\Delta E}{\Delta m} [J / kg]$$

Absorbed dose in tissue

$$\frac{\Delta E}{\Delta m} \approx \mu_m \cdot J$$

$$D_{\text{air}} = \frac{\Delta E}{\Delta m} [J / kg]$$

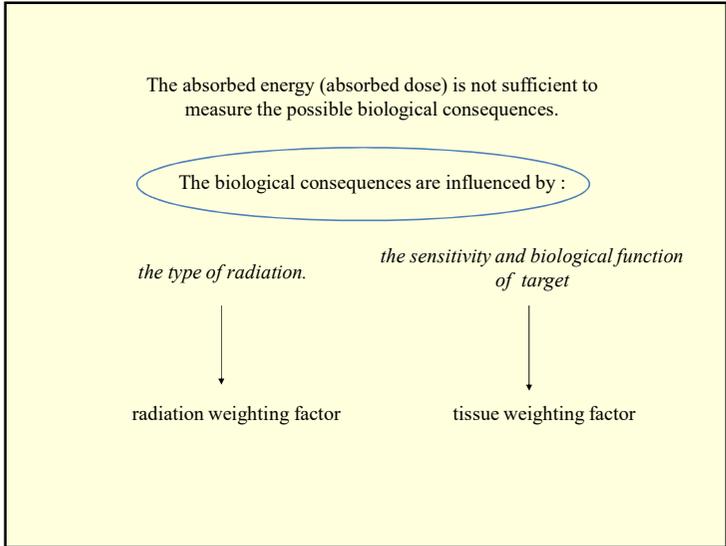
$$\frac{D_{\text{air}}}{D_{\text{tissue}}} = \frac{\mu_{m,\text{air}}}{\mu_{m,\text{tissue}}}$$

Photon energy (MeV)	$\mu_{m,\text{air}}/\mu_{m,\text{tissue}}$ (soft tissues)	$\mu_{m,\text{air}}/\mu_{m,\text{tissue}}$ (bones)
0,1	1,07	3,54
0,2	1,08	2,04
0,4	1,10	1,24

Biological dose concepts

Equivalent dose

Effective dose



Equivalent dose (H)

Rolf Sievert
1896-1966



„Efficiency” of various forms of radiation is not uniform.

$$H_T = w_R D_T$$

↑ ↑

Radiation weighting factor – estimation of the relative risk of the given radiation

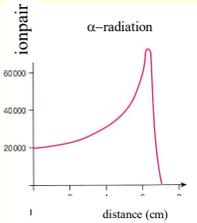
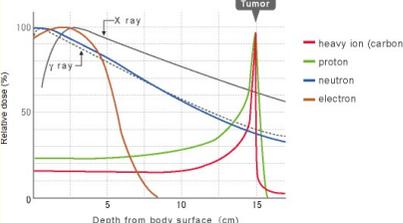
Absorbed dose in tissue

radiation	w_R
photon	1
electron	1
neutron	5-20
proton	5
α -particle	20

Unit of H : **Sievert (Sv)**

Equivalent dose (H)

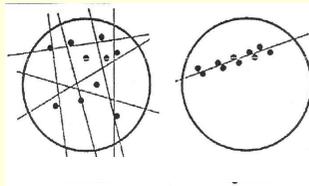
„Efficiency” of various forms of radiation is not uniform.

LET (Linear Energy Transfer): the energy transferred to the material surrounding the particle track, by means of secondary electrons. ($nE_{ionpair/l}$)

Equivalent dose (H)

„Efficiency” of various forms of radiation is not uniform.



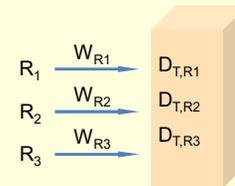
Small LET
e.g. γ, -ray

High LET
e.g. α, proton

$$H_T = w_R D_T$$

radiation	w_R
photon	1
electron	1
neutron	5-20
proton	5
α-particle	20

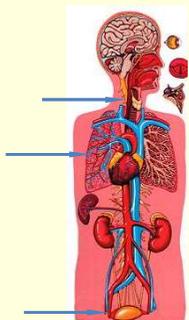
If someone is exposed to more than one type of radiation:



$$H_T = \sum_R w_R D_{T,R}$$

Effective dose (E)

Various sensitivity of tissues has to be considered



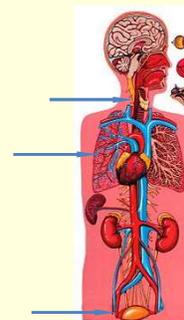
$$E = \sum_T w_T H_T$$

Tissue weighting factor
– estimation of the relative sensitivity of tissue

Equivalent dose in the given tissue

Unit of E : *Sievert (Sv)*

$$E = \sum_T w_T H_T$$



tissue	w_T	tissue	w_T
gonads	0,2	breast	0,05
bone marrow	0,12	liver	0,05
colon	0,12	oesophagus	0,05
lung	0,12	thyroid gland	0,05
stomach	0,12	skin	0,01
bladder	0,05	bone surface	0,01

$$\sum_T w_T = 1$$

Dose rate

Received dose over time.

Unit: varies with the type of radiation and the time period (pl. Gy/month, mSv/year etc.)

Collective dose

Sum of the doses received by a given number of people (N_i) in the course of a given time interval.

Collective dose

Sum of the doses received by a given number of people (N_i) in the course of a given time interval.

$$S = \sum_i N_i E_i$$

E_i effective dose in each person

Consider an α -emitting isotope of 5 MBq activity. The energy of the emitted α particles is 6.2 MeV. The total emitted energy is absorbed in 0.1 kg water. Calculate the absorbed dose in the water after half an hour irradiation. (There is no significant change in the activity of the radioactive sample during the time of the experiment.)

$$\Lambda = 5 \text{ MBq, azaz } 5 \cdot 10^6 \text{ decay/s}$$

$$N = 5 \cdot 10^6 \cdot 1800 = 9 \cdot 10^9 \text{ decay in half an hour}$$

$$E_{\text{abs}} = E_{\alpha} \cdot N \quad E_{\text{abs}} = 6.2 \cdot 10^6 \text{ eV} \cdot 9 \cdot 10^9$$

$$E_{\text{abs}} = 5,58 \cdot 10^{16} \text{ eV} = 8,92 \cdot 10^{-3} \text{ J}$$

$$D = \frac{E_{\text{abs}}}{m} = \frac{8,92 \cdot 10^{-3}}{0,1} = 8,92 \cdot 10^{-2} [\text{Gy}]$$

Consider an α -emitting isotope of 5 MBq activity. The energy of the emitted α particles is 6.2 MeV. The total emitted energy is absorbed in 0.1 kg water. Calculate the temperature change of the water after half an hour irradiation. (There is no significant change in the activity of the radioactive sample during the time of the experiment.)

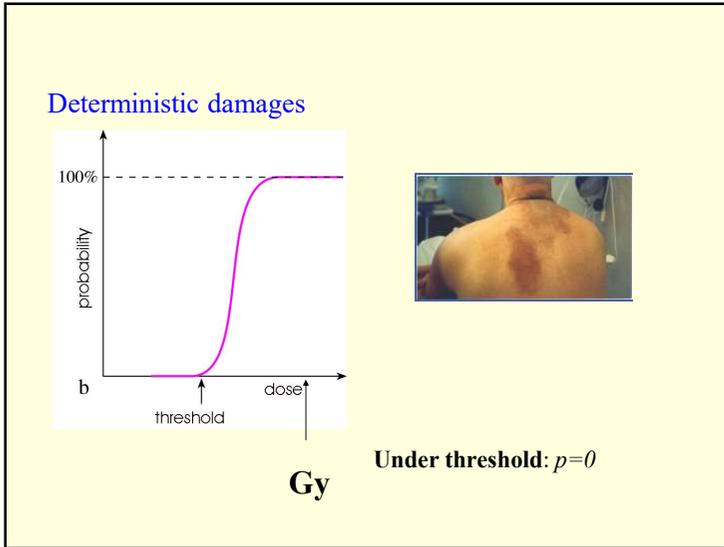
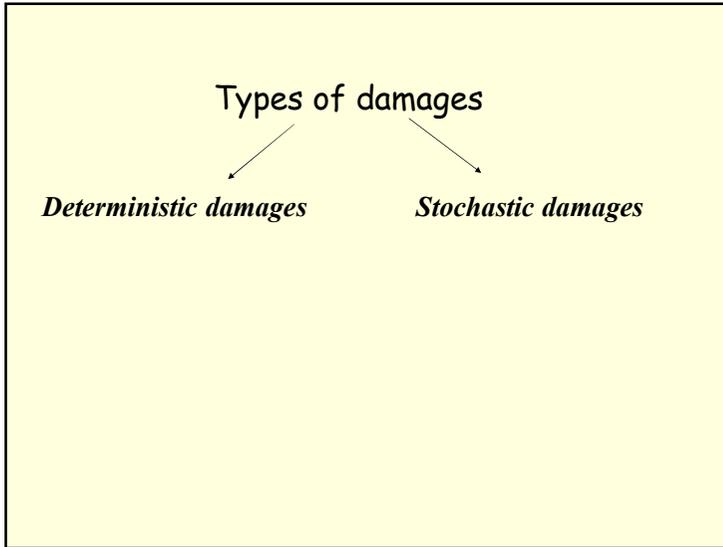
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$$E_{\text{abs}} = c \cdot m \cdot \Delta T \quad \Delta T = \frac{8,92 \cdot 10^{-3}}{4,18 \cdot 10^3 \cdot 0,1} = 2,1 \cdot 10^{-5}$$



Deterministic damages

- A threshold dose exists.
- Above threshold severity depends on the dose.
- Appear soon after exposition.
- Must not be induced during diagnostic procedures.

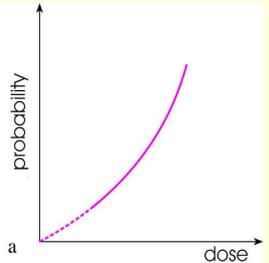
e.g. erythema, epilation, cataract

*1% lethal 60 days after exposition

Dose (Gy) (whole body)	Biological effect
< 0,15-0,2	No observable effect
0,5	Slight blood changes – limit of detection by hematological methods.
0,8	Critical dose – threshold of acute radiation syndrome
2,0	Minimal lethal dose (LD1/60)*
4,0	Half lethal dose (LD50/60)
7,0	Minimal absolute lethal dose (LD99/60)

Chest X-ray: cc 160 μ Gy in the skin

Stochastic damages



The probability of stochastic damage depends on the dose.

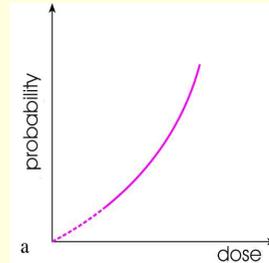
Severity (e.g. cancer) independent of the dose.

Delayed biological effects.

NO threshold!

e.g. tumours, hereditary diseases

Stochastic damages



H_T (equivalent dose) and E (effective dose) provide a basis for **estimating the probability of stochastic effects** for doses below the threshold of deterministic effects.

Dose range is under the threshold of deterministic damages.

Sv

Stochastic damages

Irradiated cell is modified rather than killed

Severity is not effected by the dose

With increasing dose only the probability* increases

*1 gamma photon: the probability to cause cancer is 3×10^{-16} (1: 3,000 billion, but this is the Russian roulette!)

Damjanovich, Fidy, Szöllösi: Medical Biophysics

II. 4.

4.1

4.2

4.3

4.4

4.5

In the frame: 184. 186.

Manual :Dosimetry