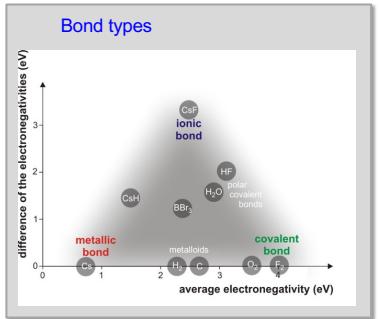
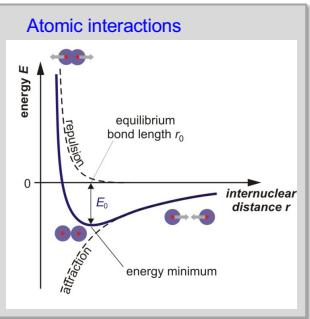
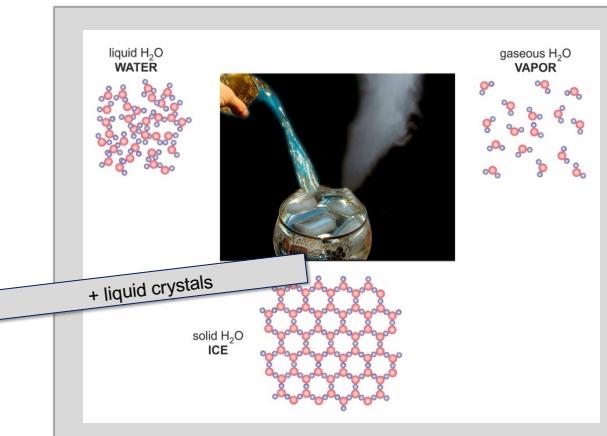


Repetition

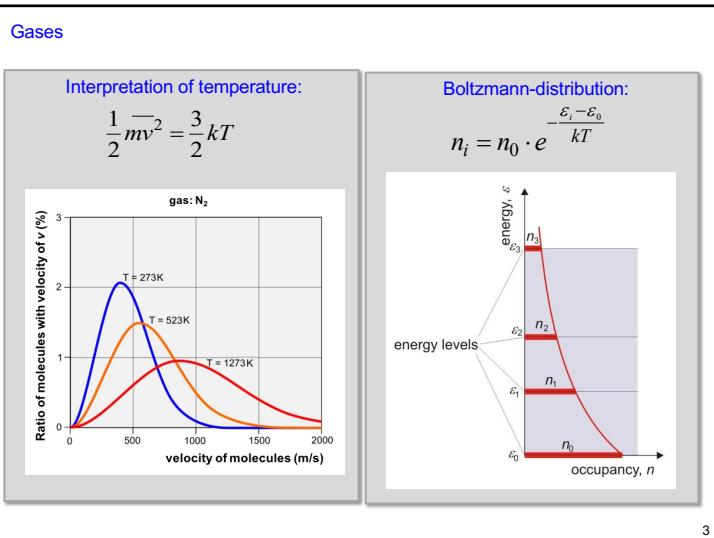


1

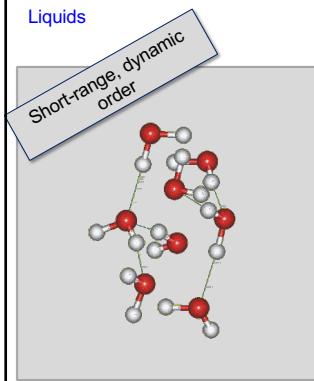
States of matter



2



3

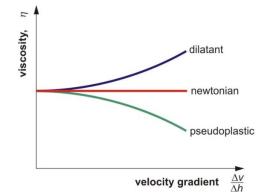


Viscosity:

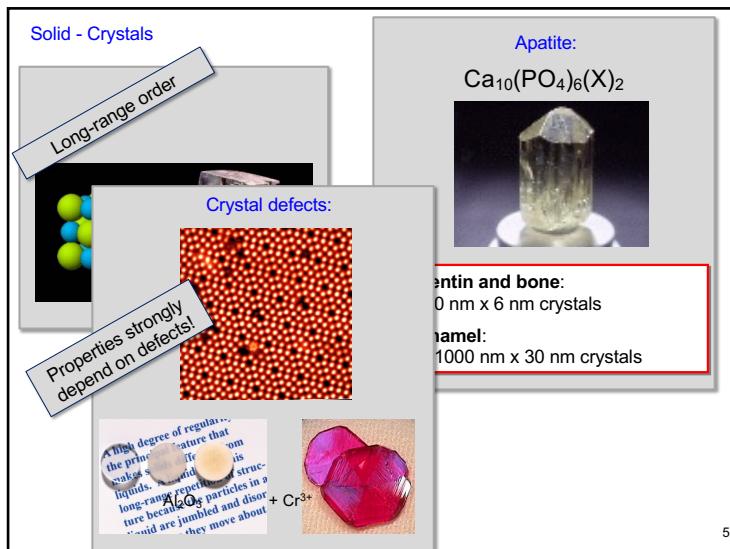
$$F_s = \eta \cdot A \cdot \frac{\Delta v}{\Delta h}$$

depends on:

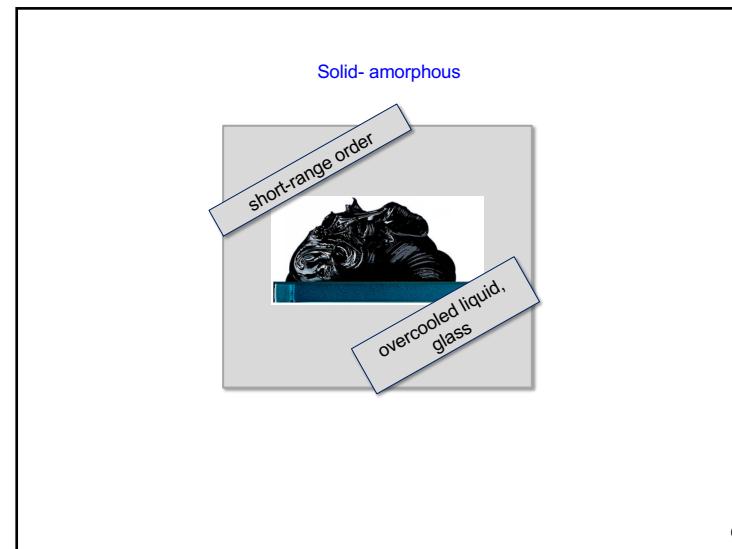
- temperature
- velocity gradient
- time of mechanical stress



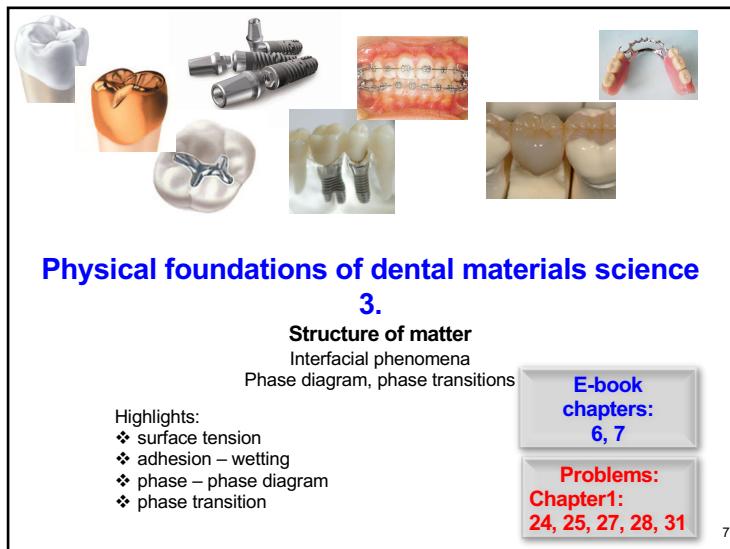
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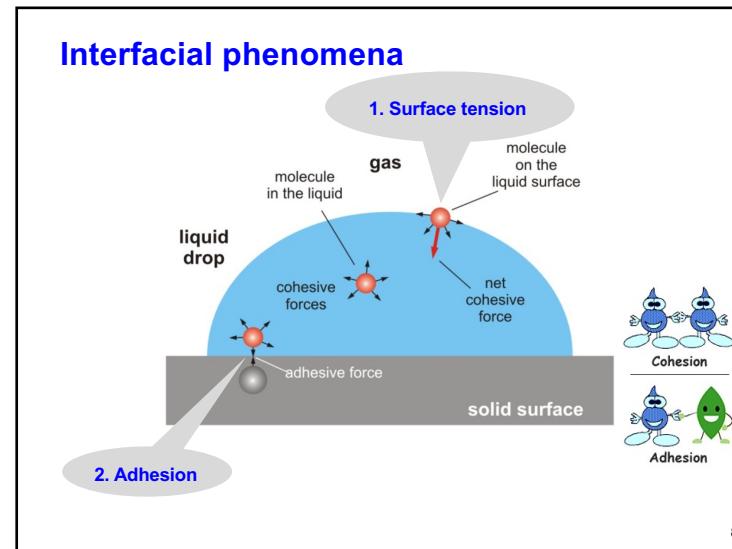
5



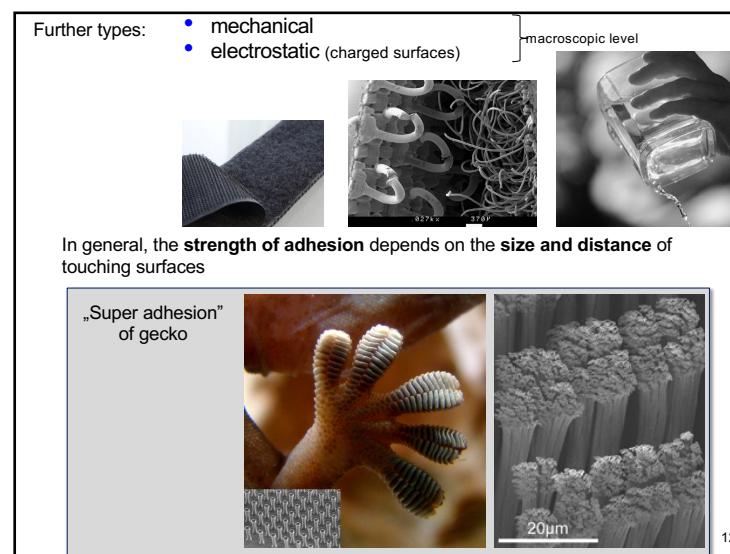
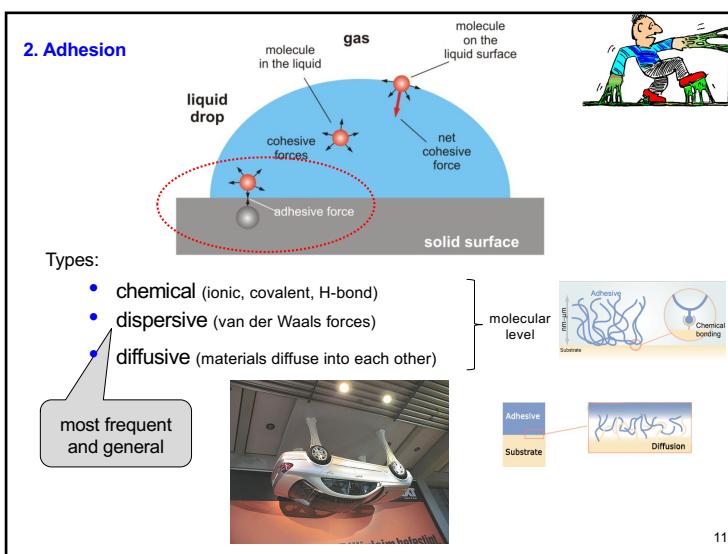
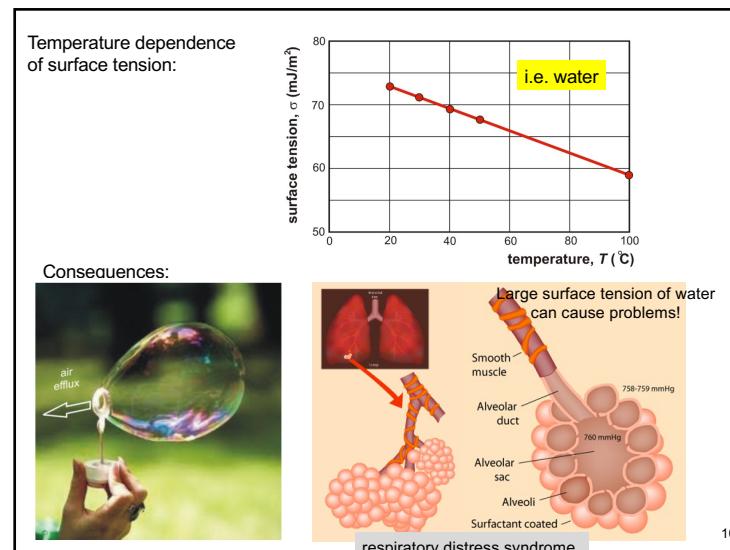
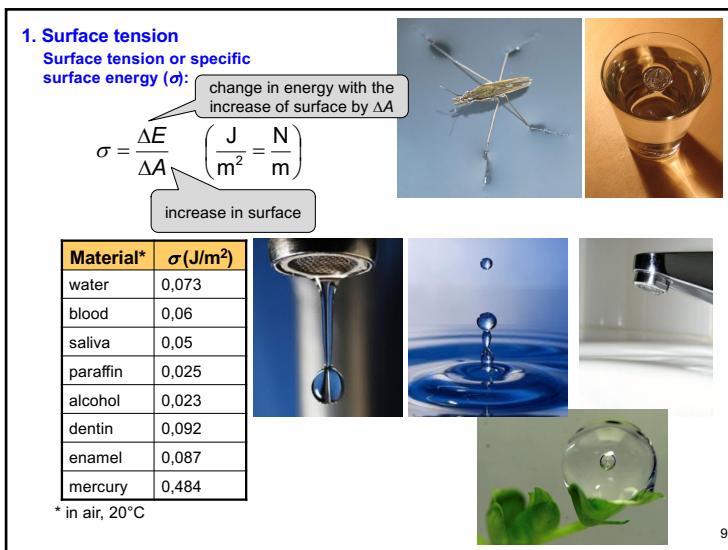
6



7



2



Quantitative description of adhesion

Specific interfacial energy, (σ):

$$\sigma = \frac{\Delta E}{\Delta A} \quad \left(\frac{\text{J}}{\text{m}^2} = \frac{\text{N}}{\text{m}} \right)$$

change in energy associated with the increase of surface by ΔA

increase in the interfacial area

Adhesion in dentistry:

- Surface size – acid treatment
- Viscosity
- Wetting (adhesion between solid and liquid)

Figure 13 shows the effect of acid treatment on the surface of enamel conditioned with 30% phosphoric acid for 20 s. The formation of micropores with type I pattern of conditioning can be observed. (Original magnification: top, 750X; bottom, 1500X).

13

Wetting (adhesion between solid and liquid)

air

liquid

solid surface

good wetting

poor wetting

θ : contact angle

Young-equation:

$$\cos \theta = \frac{\sigma_s - \sigma_{s,l}}{\sigma_l}$$

- s : solid body (-air)
- s, l : solid body – liquid
- l : liquid (-air)

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Derivation of Young's equation:

equilibrium = energy minimum \rightarrow small change in shape (surface) will not cause any changes in energy

$$\Delta E = \Delta A \cdot \sigma_{s,l} - \Delta A \cdot \sigma_s + \Delta A \cdot \cos \theta \cdot \sigma_l = 0$$

$$\cos \theta = \frac{\sigma_s - \sigma_{s,l}}{\sigma_l}$$

σ_s : solid – gas interface

$\sigma_{s,l}$: solid – liquid interface

σ_l : liquid – gas interface

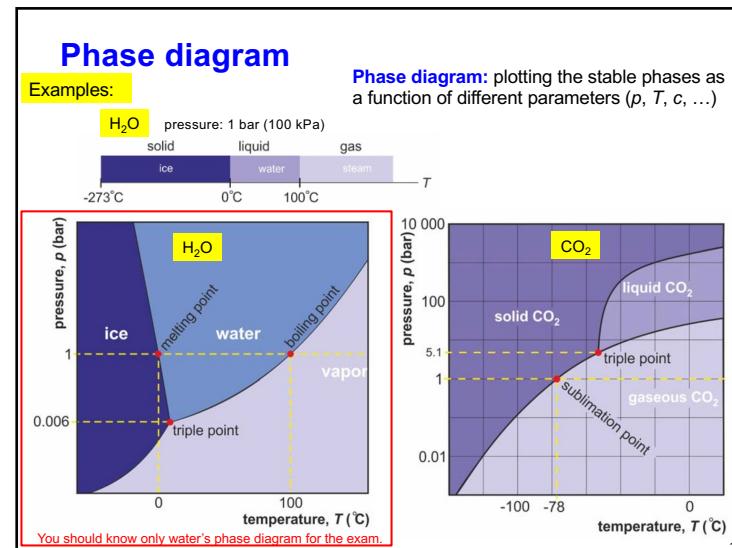
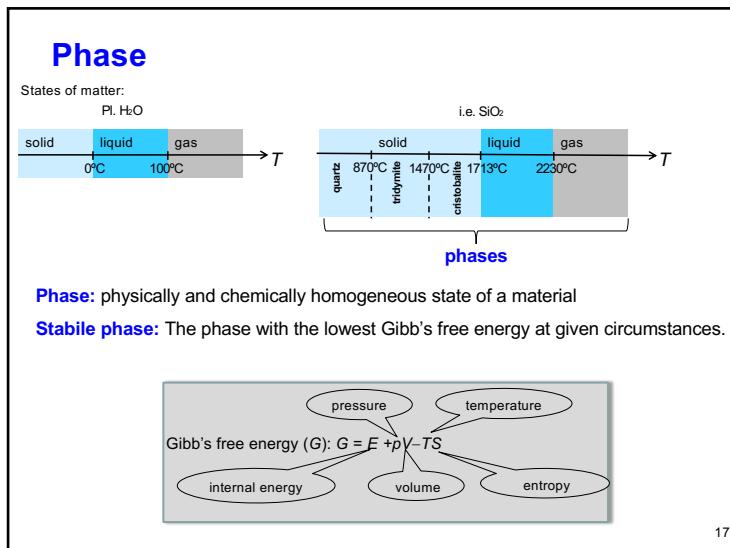
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Condition	Contact Angle (θ)	Equation
$\sigma_s \geq \sigma_{s,l}$	$\theta < 90^\circ$	$\cos \theta = \frac{\sigma_s - \sigma_{s,l}}{\sigma_l}$
$\sigma_s = \sigma_{s,l}$	$\theta = 90^\circ$	$\cos \theta = \frac{\sigma_s - \sigma_{s,l}}{\sigma_l}$
$\sigma_s \leq \sigma_{s,l}$	$\theta > 90^\circ$	$\cos \theta = \frac{\sigma_s - \sigma_{s,l}}{\sigma_l}$
	$\theta \approx 180^\circ$	$\cos \theta = \frac{\sigma_s - \sigma_{s,l}}{\sigma_l}$

Specific surface energy of some dental materials:

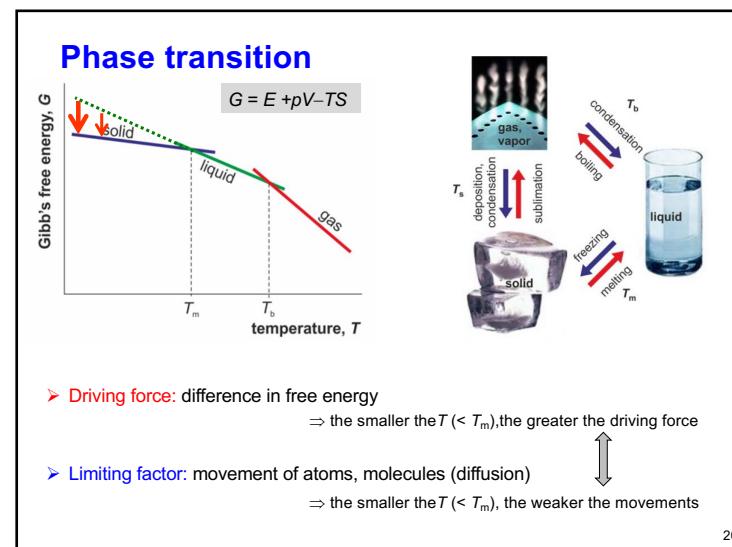
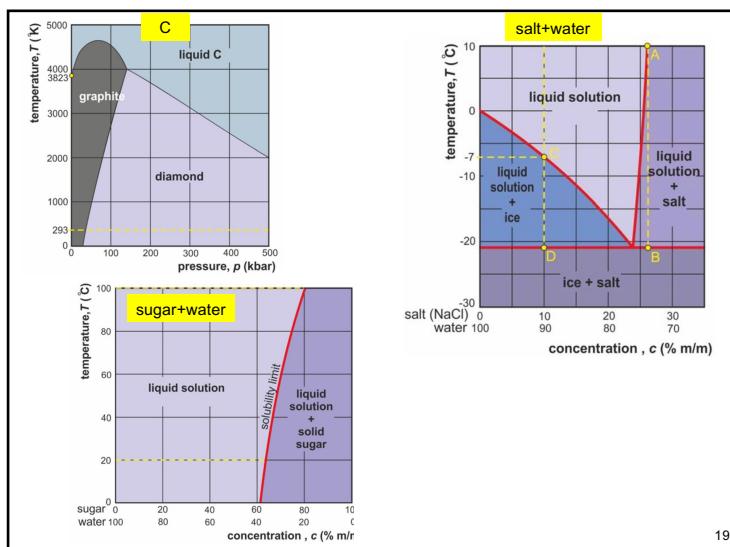
Material	σ (mJ/m ²)
water	73 (25° C)
saliva	53 (37° C)
dentin	92
enamel	87
PMMA	37
paraffin	25

16



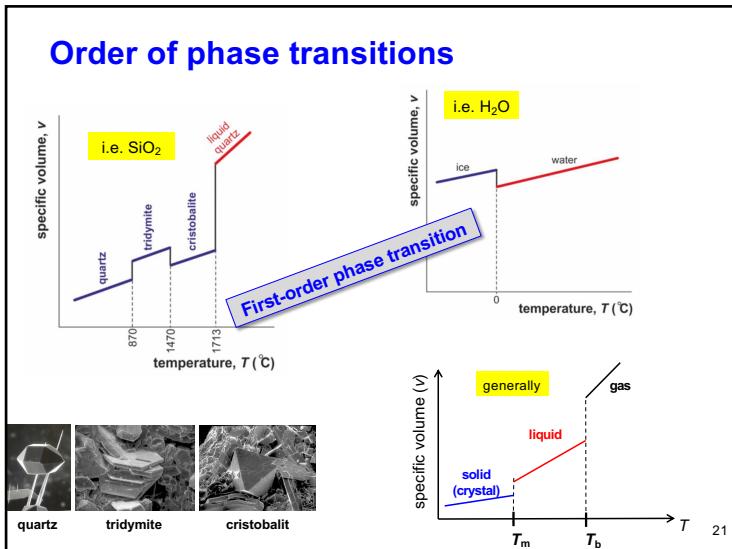
17

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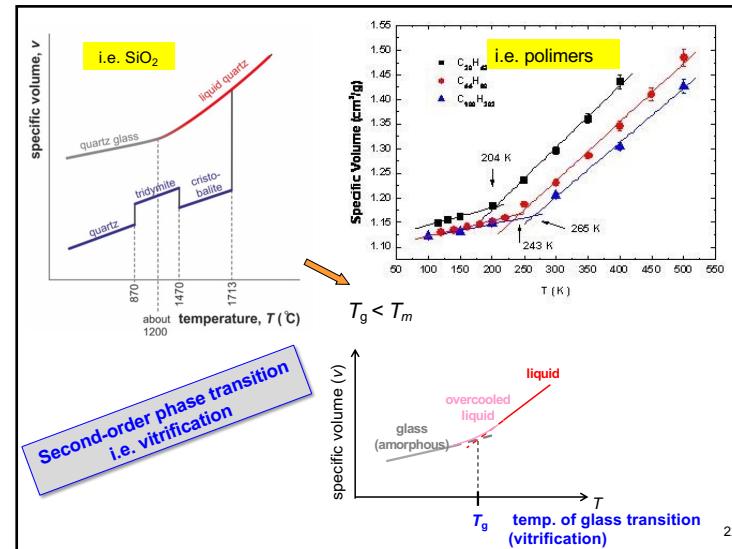


19

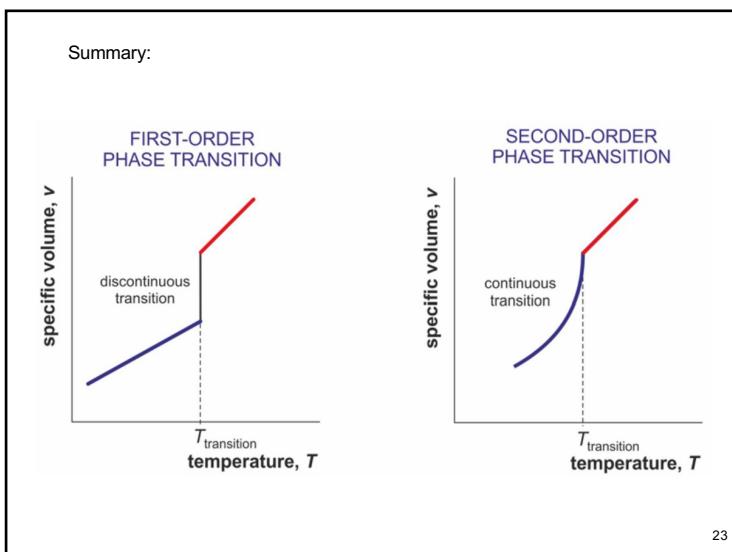
20



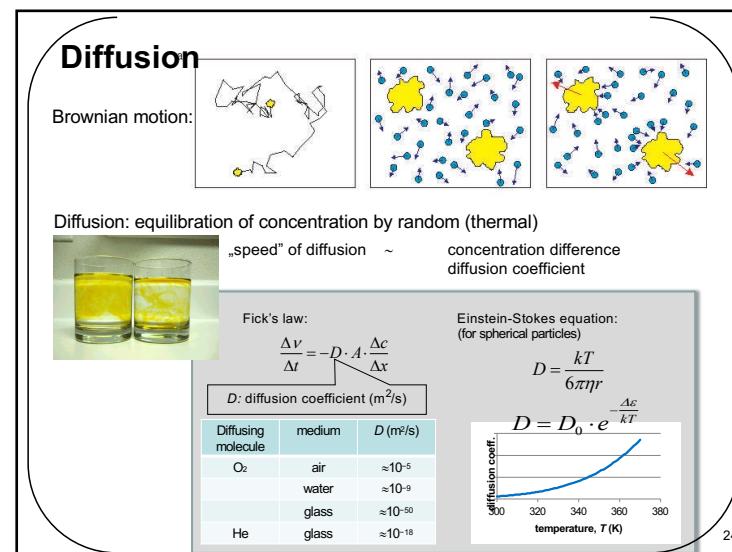
21



22



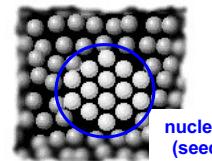
23



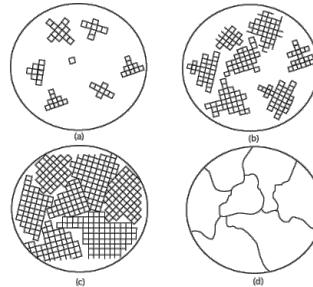
Kinetics of phase transitions (i.e. crystallization)

Overcooling! $T < T_m$

1. Nucleation



2. Growth

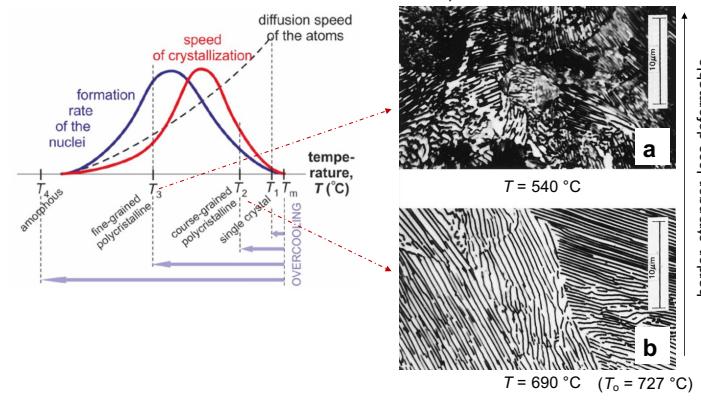


(a) (b) (c) (d)

25

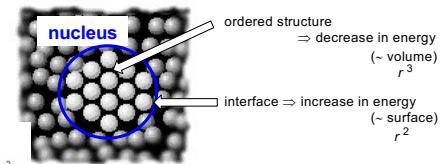
Shape and size of grains \Rightarrow properties!

2. Crystal growth

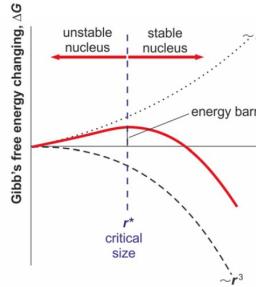


27

1. Nucleation



$T < T_m$:



- homogenous nucleation: inside the same material
- heterogeneous nucleation: on solid surfaces (i.e. wall of container, impurity particles)

faster!

26

26



Single crystal Polycrystal Amorphous solid

Periodic across the whole volume.

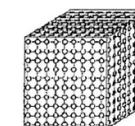
Periodic across each grain.

Not periodic.

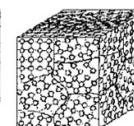
Single crystal:
uninterrupted atomic order
across the whole crystal.

Polycrystal: macroscopically homogeneous but microscopically heterogeneous. Atomic order is interrupted at grain boundaries.

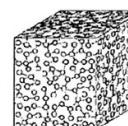
Amorphous: Macroscopically homogeneous, but no atomic order present. (It is like a frozen liquid state)



Single crystal



Polycrystal



Amorphous (non-crystalline solid)

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28